

SCALABLE ALGORITHMS FOR SENSOR LOCALIZATION

Holly Jin
Toronto/Stanford

Michael Carter
Toronto

Michael Saunders
Stanford

Yinyu Ye
Stanford

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A DIFFICULT PROBLEM

Sensor localization

- Ad hoc wireless sensor network
- A few anchors have known locations
- Known distance measurements among sensors
- Determine positions of all other sensors

Geometric model with noisy distances

x_i vectors in 2D or 3D

r radio range

$$\begin{aligned} & \text{minimize } \sum |\alpha_{ij}| \\ & \|x_i - x_j\|^2 + \alpha_{ij} = d_{ij}^2 \quad (\text{some } i, j) \\ & \|x_i - x_j\|^2 \geq r^2 \quad (\text{most } i, j) \\ & x_k = a_k \quad (\text{anchors}) \end{aligned}$$

Non-convex constrained optimization

HIERARCHICAL SOLUTION METHOD

Semidefinite programming (SDP): < 20 nodes

SpaseLoc algorithm: < 10000 nodes

Adaptive sequence of tiny SDP subproblems

Distributed algorithm: arbitrary network size

SpaseLoc called in parallel

Adaptive sequence of parallel clusters

Moving sensors: dynamic network

SpaseLoc called each time step

COMPUTATIONAL RESULTS

Implementation

MATLAB with Mex interface to SDP solver

Parameters

Radio range, no. of anchors,
noise level, no. of moving sensors,
no. of clusters

Simulations

Varied topologies of anchor/sensor placement
2D, 3D
Dynamic sensor tracking
Distributed computation
Bus arrival reporting system

Results

SpaseLoc accuracy and speed \gg pure SDP

SpaseLoc linear complexity

Distributed algorithm also linear complexity

IMPACT

Deployable algorithms enable myriad applications:

forest fire detection, building automation,
traffic monitoring, security services,
preemptive maintenance

Soon 100 million sensors in use in industry

Software essential, scalability essential

Real-time results from lower-power CPUs

